



# Domain Intersection and Domain Difference

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ICCV 2019

# Image to Image Translation

Monet ↔ Photos



Monet → photo

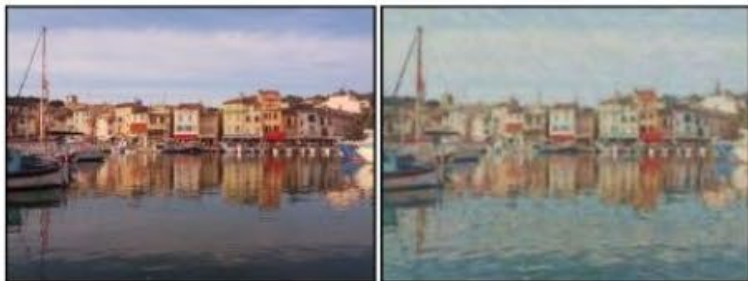


photo → Monet

Zebras ↔ Horses



zebra → horse



horse → zebra

Summer ↔ Winter



summer → winter



winter → summer



Photograph



Monet



Van Gogh

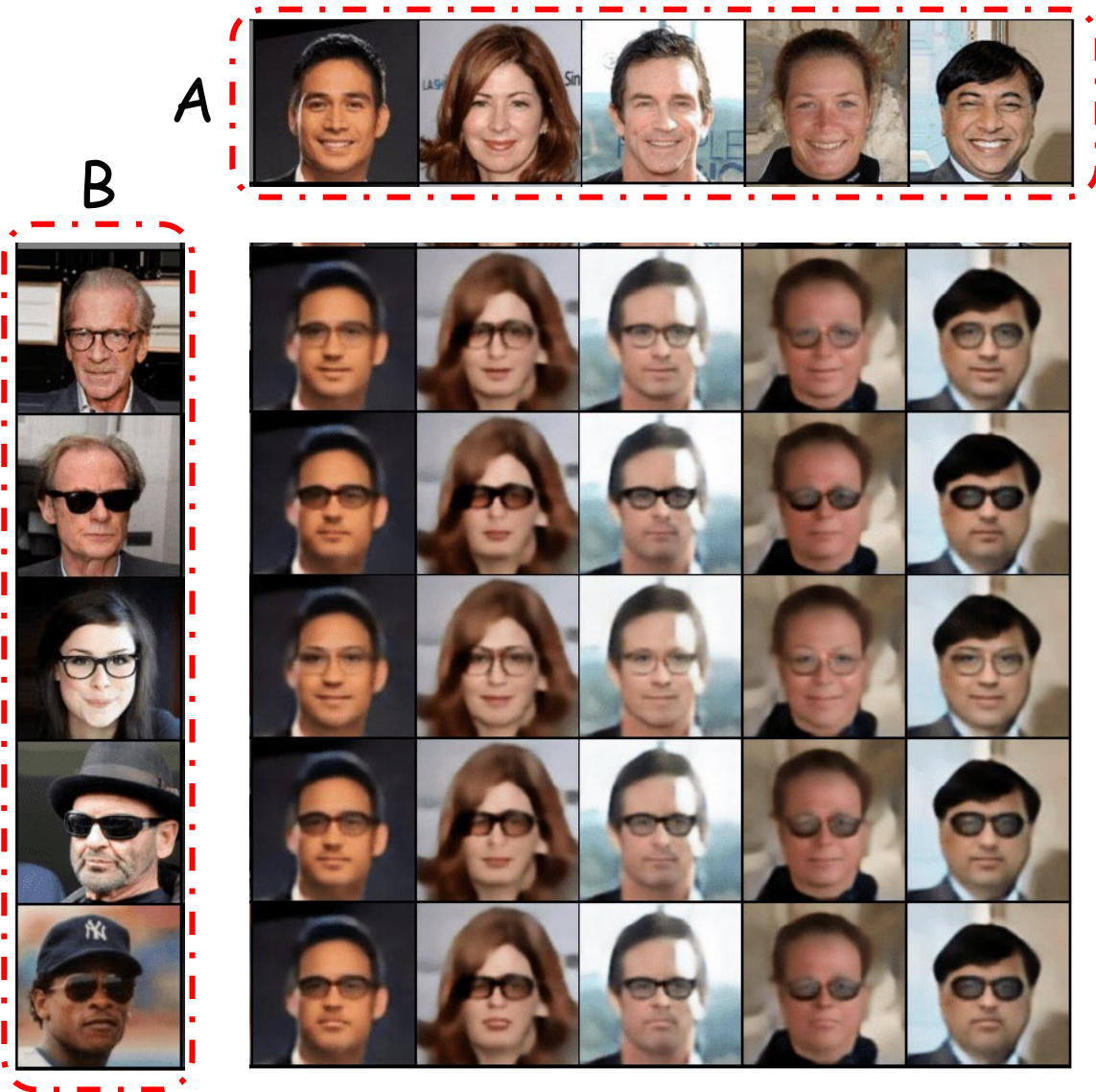


Cezanne



Ukiyo-e

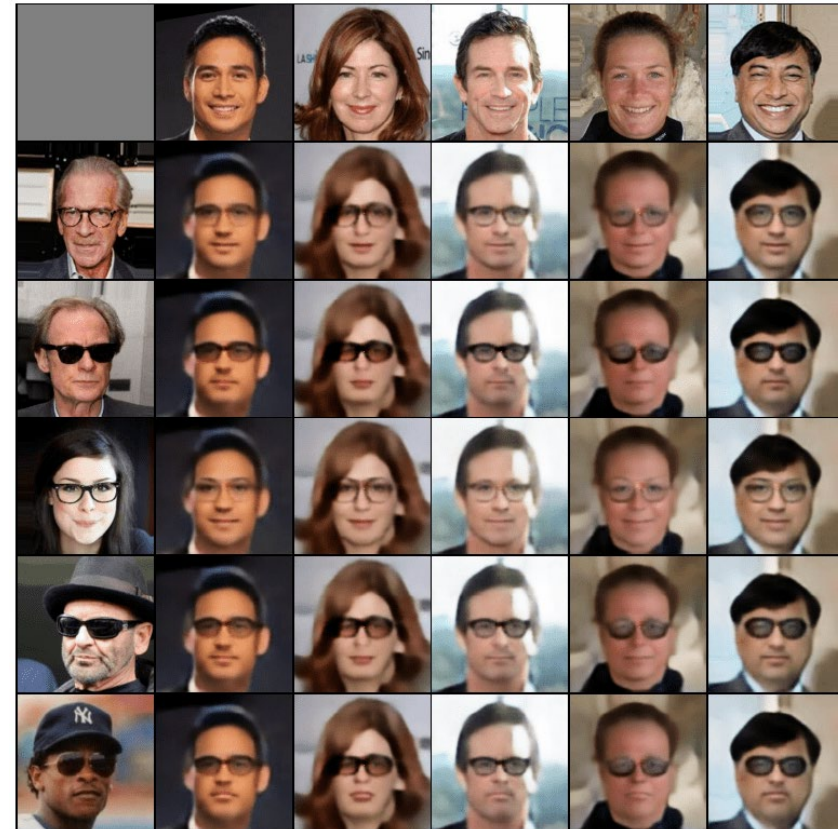
# A Running Example



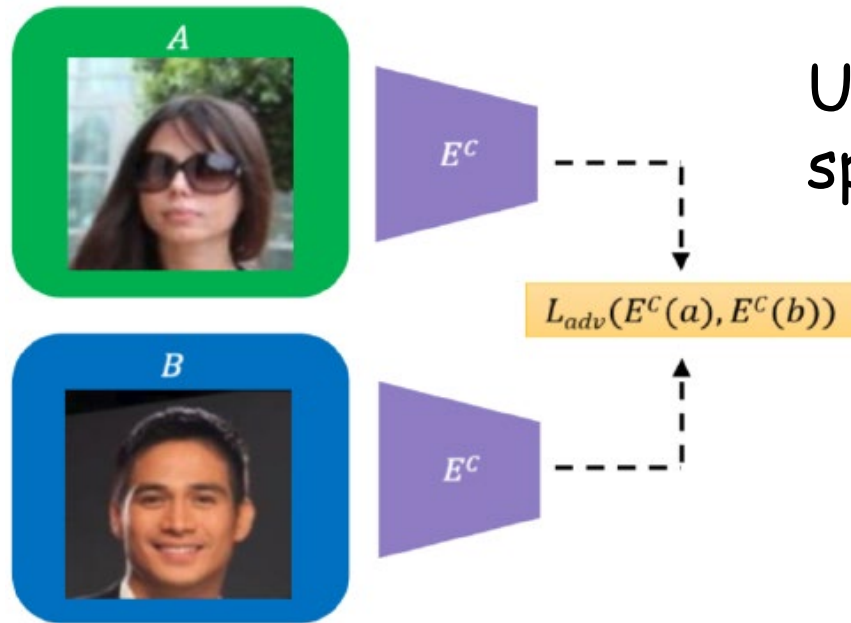
# Domain Intersection and Domain Difference

The paper:

- Disentangles the **Common (Intersection)** and **Specific (Difference)** parts of each domain.
- Utilize a Encoder-Decoder architecture:
  - Three encoders  $E$ : produces three latent spaces:
    - $E^c(A) = E^c(B)$ : Common to  $A$  and  $B$
    - $E_A^s(A)$  (or  $E_B^s(B)$ ): Specific to  $A$  (respectively to  $B$ )
  - Decoder  $G$ : generate images according codes.



# The "Common" (or shared) Loss



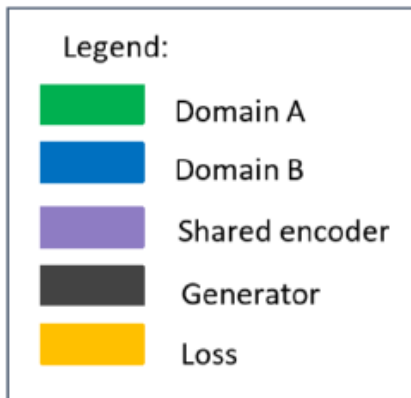
Use an adversarial loss to do not encode the specific part of each of two domains

For discriminator  $d$ :

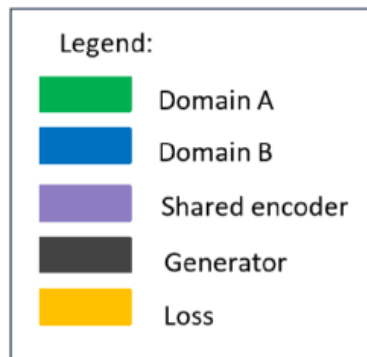
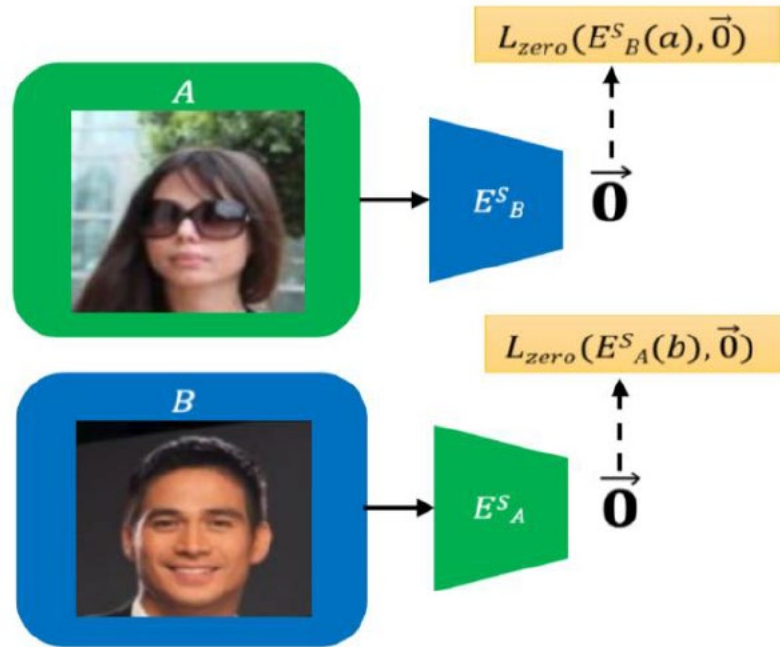
$$\mathcal{L}_d := \frac{1}{m_1} \sum_{i=1}^{m_1} l(d(E^c(a_i)), 0) + \frac{1}{m_2} \sum_{j=1}^{m_2} l(d(E^c(b_j)), 1)$$

For encoder  $E^c$ :

$$\frac{1}{m_1} \sum_{i=1}^{m_1} l(d(E^c(a_i)), 1) + \frac{1}{m_2} \sum_{j=1}^{m_2} l(d(E^c(b_j)), 1)$$



# 'Zero' Loss



Encourage  $E_A^S(E_B^S)$  to do not encode the specific part of domain B(A) :

For A domain:

$$\mathcal{L}_{zero}^A := \frac{1}{m_2} \sum_{j=1}^{m_2} \|E_A^S(b_j)\|_1$$

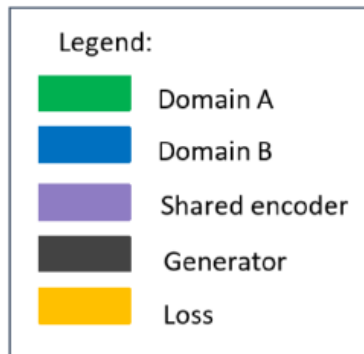
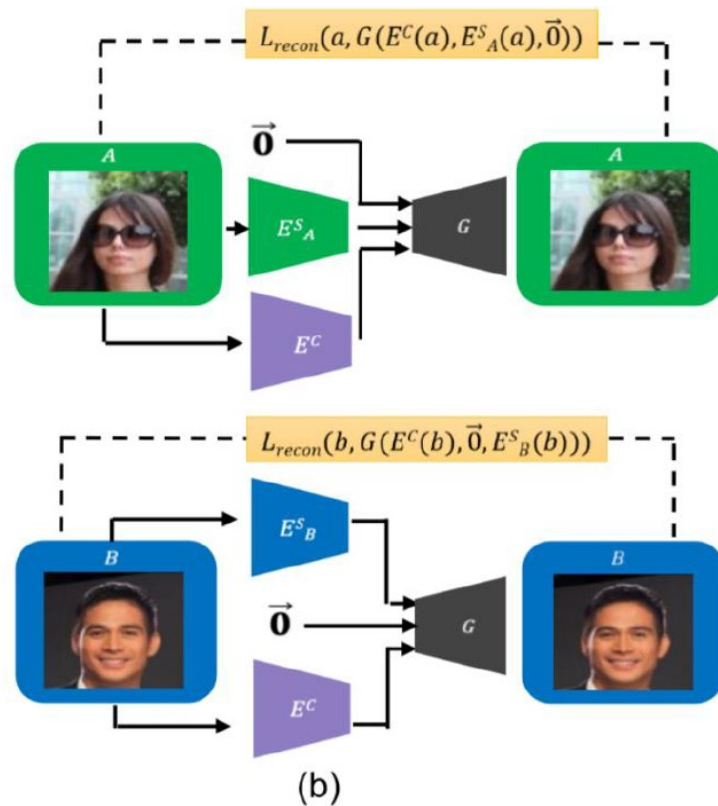
For B domain:

$$\mathcal{L}_{zero}^B := \frac{1}{m_1} \sum_{i=1}^{m_1} \|E_B^S(a_i)\|_1$$

Final loss:

$$\mathcal{L}_{zero} := \mathcal{L}_{zero}^A + \mathcal{L}_{zero}^B$$

# Reconstruction Loss



The loss mentioned above ensure that no encoder encode more information .

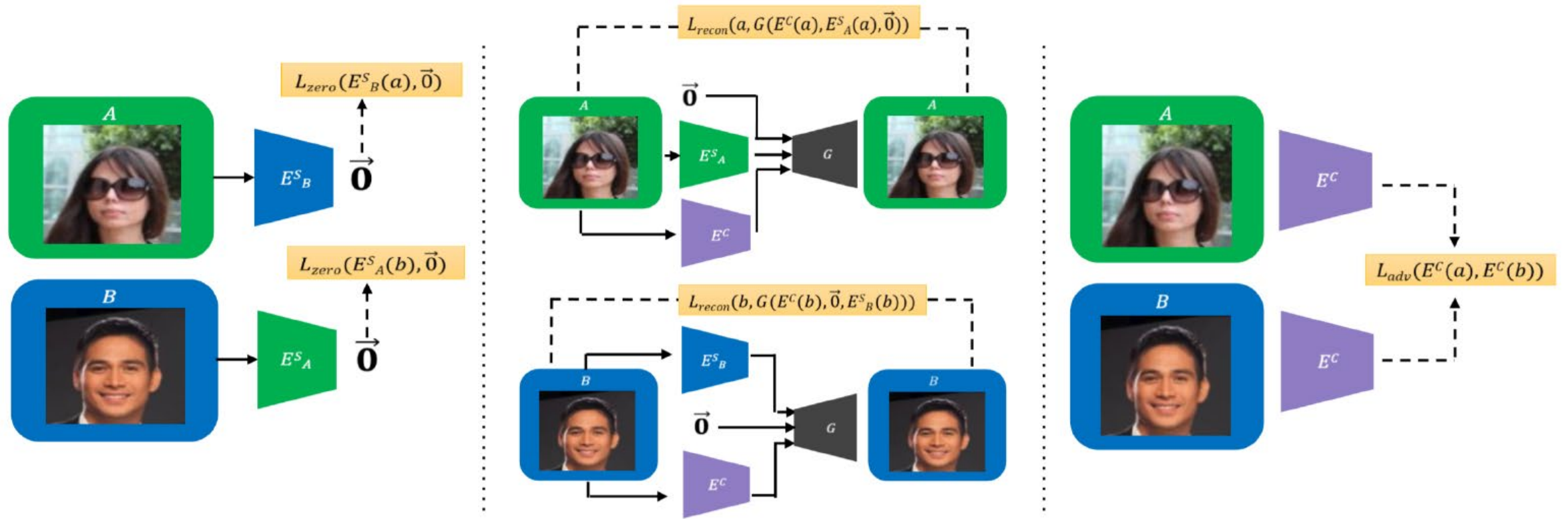
We need to also ensure that all the needed information is encoded.

$$\mathcal{L}_{recon}^A := \frac{1}{m_1} \sum_{i=1}^{m_1} \|G(E^c(a_i), E_A^s(a_i), 0) - a_i\|_1$$

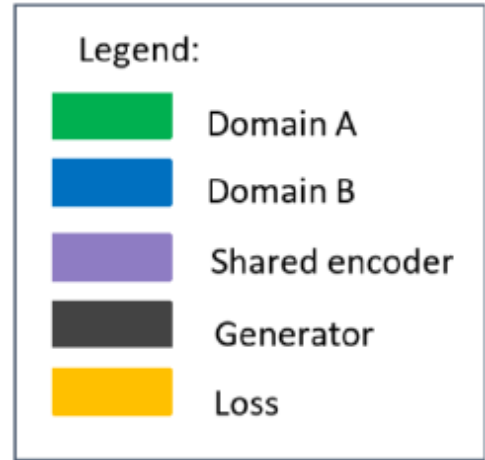
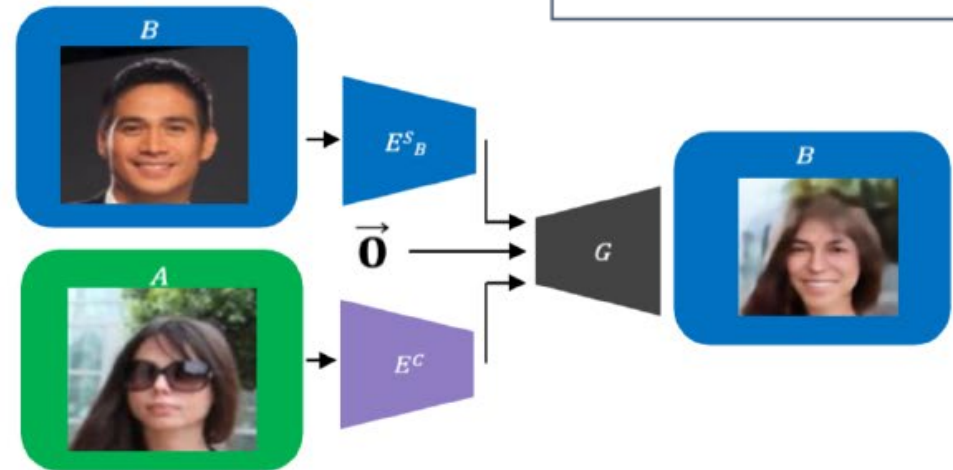
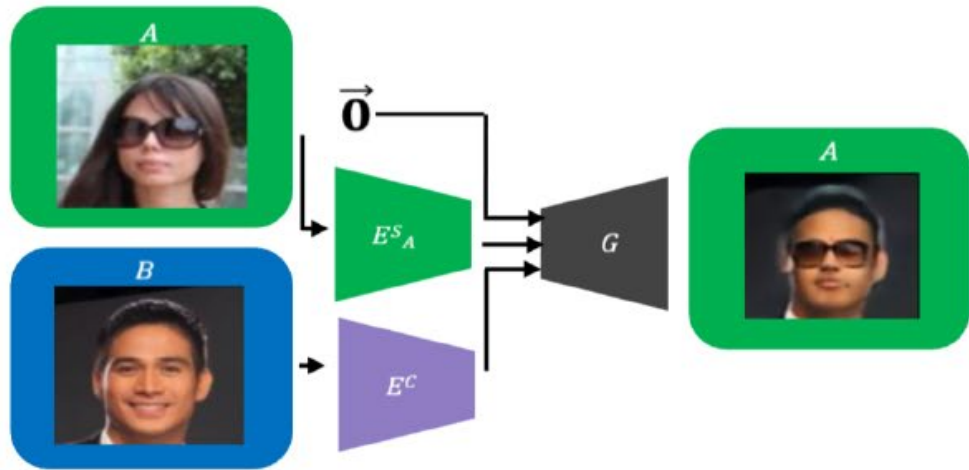
$$\mathcal{L}_{recon}^B := \frac{1}{m_2} \sum_{j=1}^{m_2} \|G(E^c(b_j), 0, E_B^s(b_j)) - b_j\|_1$$

$$\mathcal{L}_{recon} := \mathcal{L}_{recon}^A + \mathcal{L}_{recon}^B$$

# Training



# Inference



# Experiment

	Smile To Glasses	Glasses To Smile	Facial Hair To Smile	Smile To Facial Hair	Facial Hair To Glasses	Glasses To Facial Hair
Fader networks [15]	76.8%	97.3%	95.4%	84.2%	77.8 %	85.2%
Guided content transfer [20]	45.8%	92.7%	85.6%	85.1%	38.6%	82.2%
MUNIT [12]	7.3%	9.2%	9.3%	8.4%	7.3%	8.5%
DRIT [16]	8.5%	6.3%	6.3%	10.3%	8.6%	10.1%
Ours	91.8%	99.3%	93.7%	87.1%	93.1%	97.2%

Table 1. We pretrain a classifier to distinguish between samples in  $A$  (e.g. images of persons with glasses) and samples in  $B$  (e.g. images of persons with smile). We then sample  $a \in A, b \in B$  from the test samples and check the membership of the generated image  $G(E^c(b), E_A^s(a), 0)$  in  $A$ . Similarly, in the reverse direction, we check the membership of  $G(E^c(a), 0, E_B^s(b))$  in  $B$ .

	Smile To Glasses	Glasses To Smile	Facial Hair To Smile	Smile To Facial Hair	Facial Hair To Glasses	Glasses To Facial Hair
Question (1) ours	4.74 $\pm$ 0.13	4.30 $\pm$ 0.21	4.26 $\pm$ 0.20	4.30 $\pm$ 0.15	4.18 $\pm$ 0.17	4.50 $\pm$ 0.18
Question (2) ours	3.92 $\pm$ 0.16	4.45 $\pm$ 0.12	4.03 $\pm$ 0.15	3.34 $\pm$ 0.17	3.85 $\pm$ 0.20	3.95 $\pm$ 0.22
Question (3) ours	3.95 $\pm$ 0.23	3.20 $\pm$ 0.24	3.24 $\pm$ 0.25	3.22 $\pm$ 0.27	3.49 $\pm$ 0.22	3.39 $\pm$ 0.23
Question (1) for [20]	3.67 $\pm$ 0.17	4.16 $\pm$ 0.18	3.39 $\pm$ 0.19	3.34 $\pm$ 0.13	4.24 $\pm$ 0.12	3.15 $\pm$ 0.15
Question (2) for [20]	1.87 $\pm$ 0.35	4.42 $\pm$ 0.22	3.00 $\pm$ 0.32	2.67 $\pm$ 0.33	2.20 $\pm$ 0.42	3.30 $\pm$ 0.22
Question (3) for [20]	3.95 $\pm$ 0.15	2.93 $\pm$ 0.22	3.37 $\pm$ 0.25	3.40 $\pm$ 0.27	3.43 $\pm$ 0.28	3.75 $\pm$ 0.20

Table 2. Given 20 randomly selected images  $a \in A$  and  $b \in B$ , we consider the generated image  $G(E^c(a), 0, E_B^s(b))$  and ask if (1) a’s separate part is removed (2) b’s separate part is added (3) a’s common part is preserved (similarly in the reverse direction). Mean opinion scores in the range of 1 to 5 are reported, where higher is better.

# Experiment

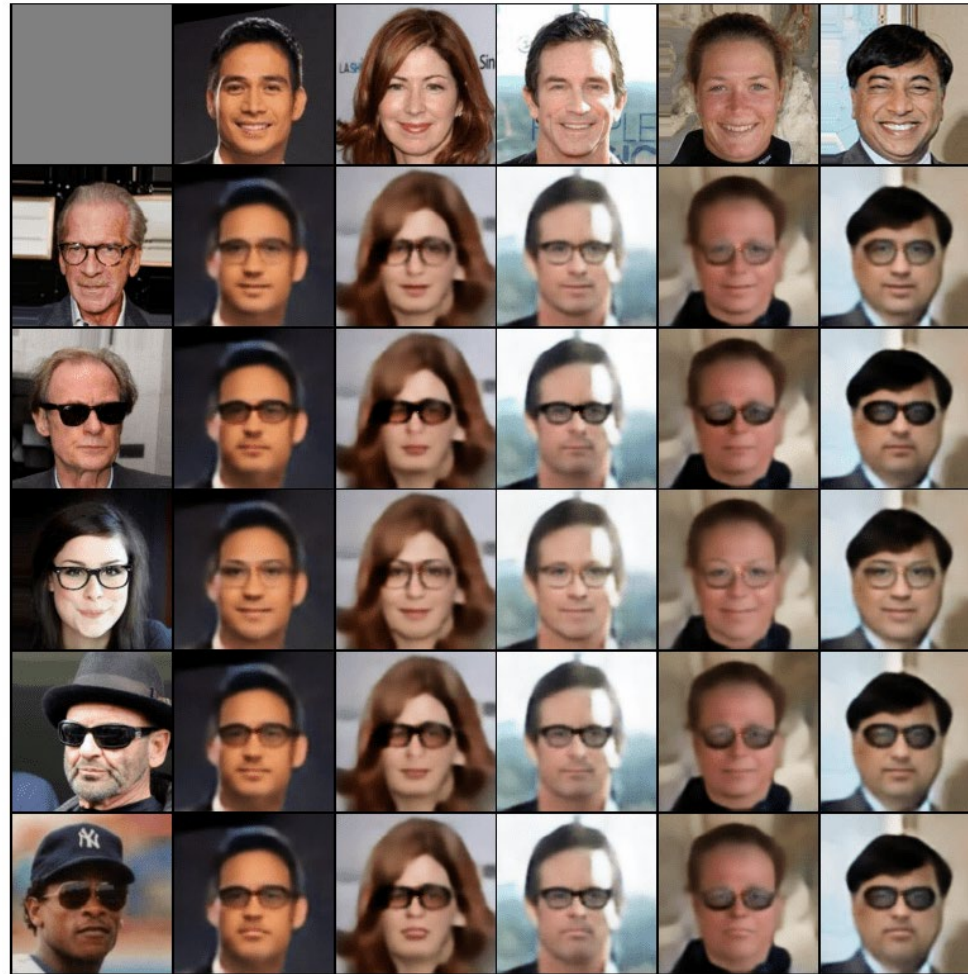


Figure 2. Images  $a \in A$  are in the top row and  $b \in B$  in the left column. The images constructed are  $G(E^c(a), 0, E_B^s(b))$ , consisting of the common parts of  $a$  and separate part of  $b$  (smile is removed and glasses added).

Thanks

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