



南京航空航天大学

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# Meta-Query-Net: Resolving Purity-Informativeness Dilemma in Open-set Active Learning

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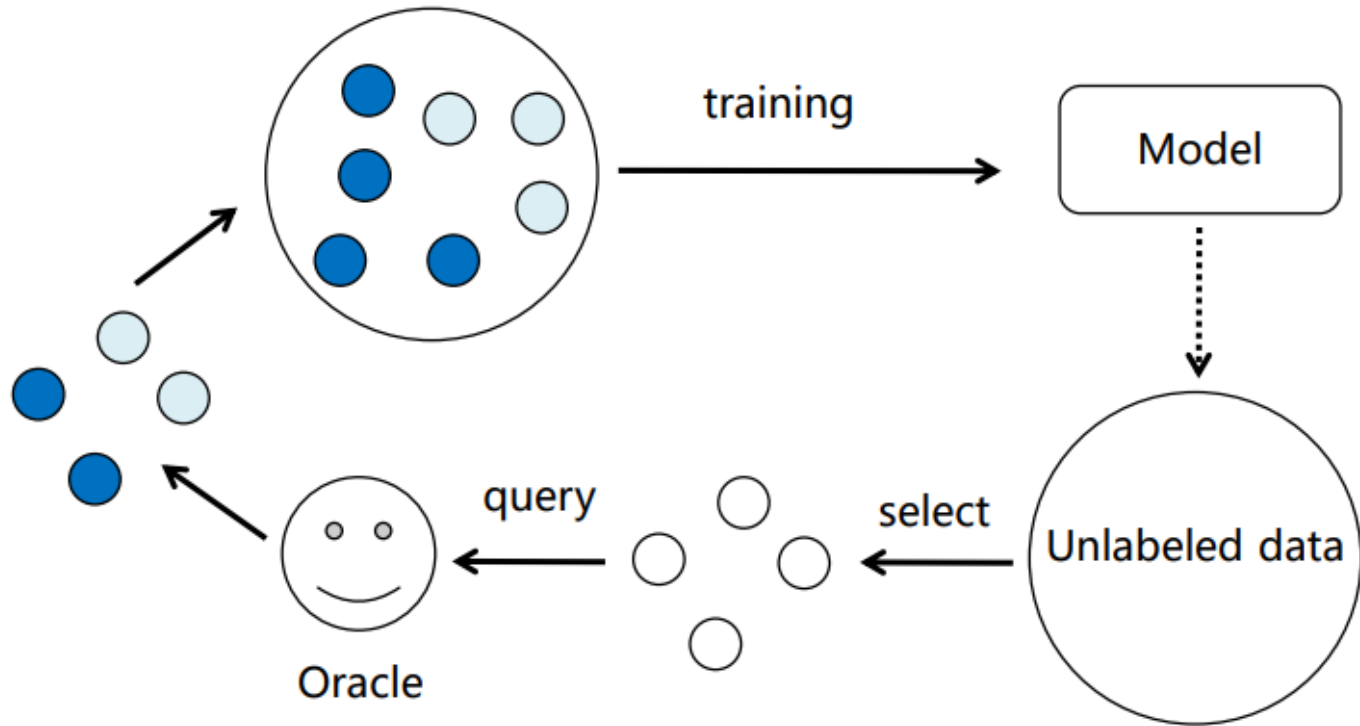
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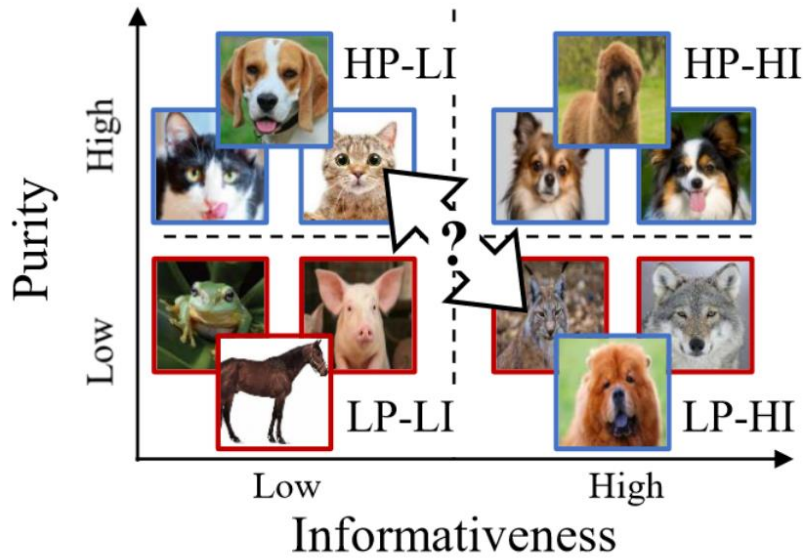


**Goal: query less for more.**

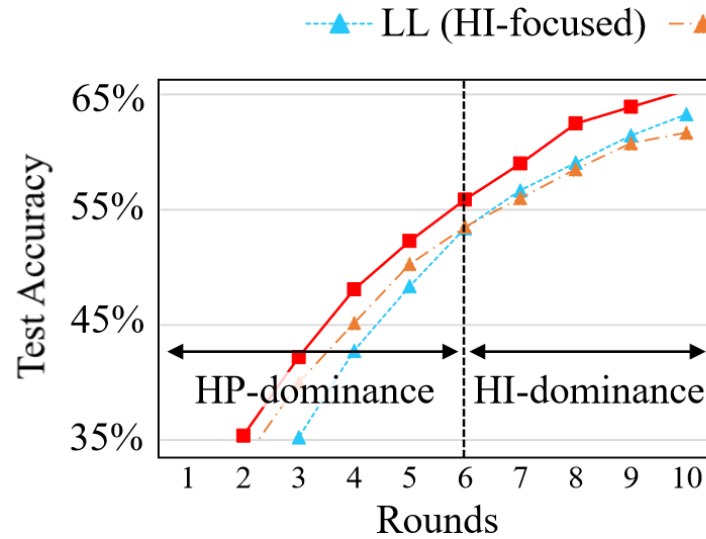
- Uncertainty-based sampling
  - Least-confidence
  - Margin
  - Entropy
  - MC-dropout
- Diversity-based sampling
  - CoreSet
- Hybrid sampling
  - BADGE

OOD examples exhibit **high uncertainty and diversity** because they share neither class-distinctive features nor other inductive biases with ID examples

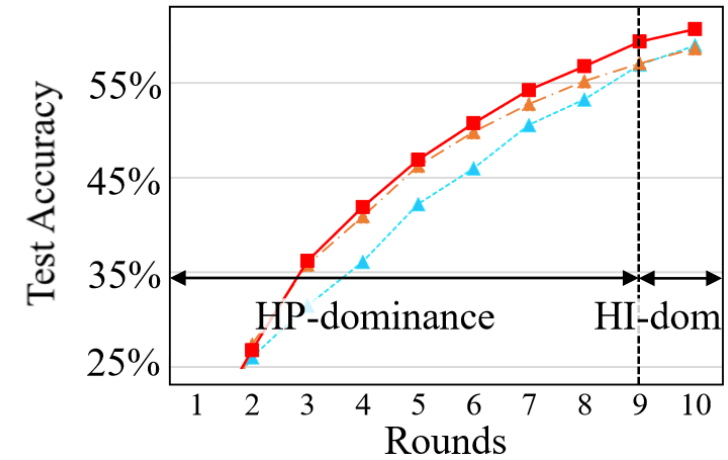
Unlabeled Examples (□ IN, □ OOD)



(a) Purity-informativeness Dilemma.



(b) 10% Open-set Noise.



(c) 30% Open-set Noise.

Whether **purity** needs to be focused on throughout the entire training period?

➤ The optimal query set:

$$S_Q^* = \operatorname{argmin}_{S_Q: C(S_Q) \leq b} \mathbb{E}_{(x,y) \in T_{IN}} [\ell_{cls}(f(x; \Theta_{S_L \cup S_Q}), y)],$$

where  $C(S_Q) = \sum (\mathbb{1}_{[x \in X_{IN}]} c_{IN} + \mathbb{1}_{[x \in X_{OOD}]} c_{OOD})$

➤ MQ-Net:

- $P(x)$  : purity score of an example  $x$
- $I(x)$  : informativeness score of an example  $x$
- $z_x = \langle P(x), I(x) \rangle$
- $\Phi(z_x)$ : a score combination function

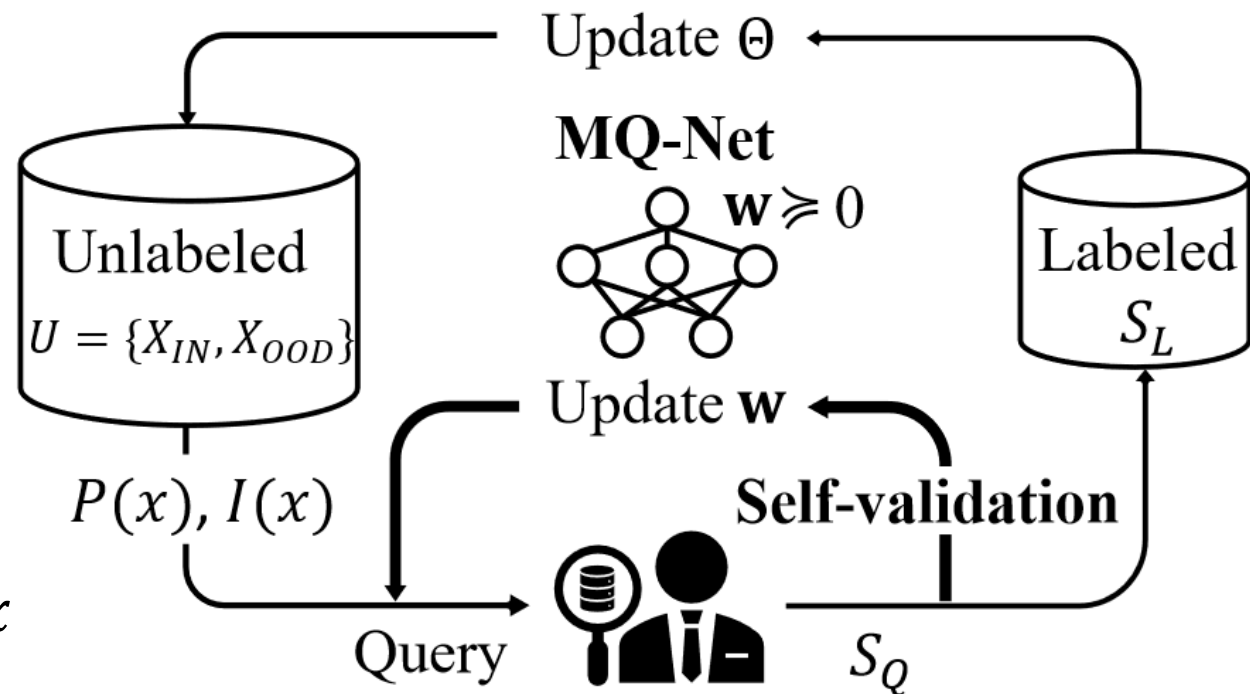


Figure 2: Overview of MQ-Net.

- Target model objective:

$$\ell_{mce}(x) = \mathbb{1}_{[l_x=1]} \ell_{ce}(f(x; \Theta), y)$$

- Meta objective:

$$\mathcal{L}(S_Q) = \sum_{i \in S_Q} \sum_{j \in S_Q} \max\left(0, -\text{Sign}(\ell_{mce}(x_i), \ell_{mce}(x_j)) \cdot (\Phi(z_{x_i}; \mathbf{w}) - \Phi(z_{x_j}; \mathbf{w}) + \eta)\right)$$

$\Phi(z_{x_i}; \mathbf{w})$  is forced to be higher than  $\Phi(z_{x_j}; \mathbf{w})$  if  $\ell_{mce}(x_i) > \ell_{mce}(x_j)$

$\Phi(z_{x_i}; \mathbf{w})$  is forced to be lower than  $\Phi(z_{x_j}; \mathbf{w})$  if  $\ell_{mce}(x_i) < \ell_{mce}(x_j)$

s.t.  $\forall x_i, x_j$ , if  $\mathcal{P}(x_i) > \mathcal{P}(x_j)$  and  $\mathcal{I}(x_i) > \mathcal{I}(x_j)$ , then  $\Phi(z_{x_i}; \mathbf{w}) > \Phi(z_{x_j}; \mathbf{w})$

**Theorem 4.1.** For any MLP meta-model  $\mathbf{w}$  with non-decreasing activation functions, a meta-score function  $\Phi(z; \mathbf{w}): \mathbb{R}^d \rightarrow \mathbb{R}$  holds the skyline constraints if  $\mathbf{w} \succeq 0$  and  $z(\in \mathbb{R}^d) \succeq 0$ , where  $\succeq$  is the component-wise inequality.

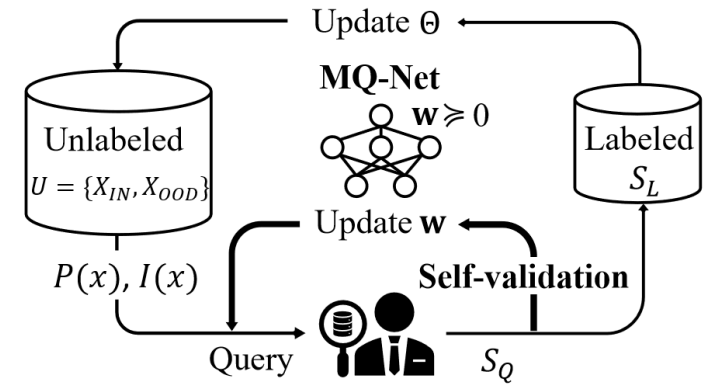
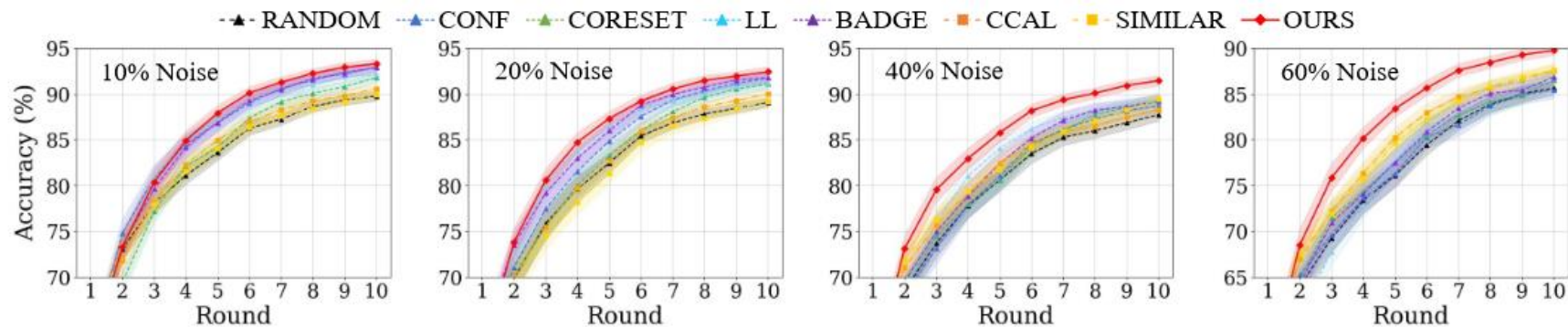
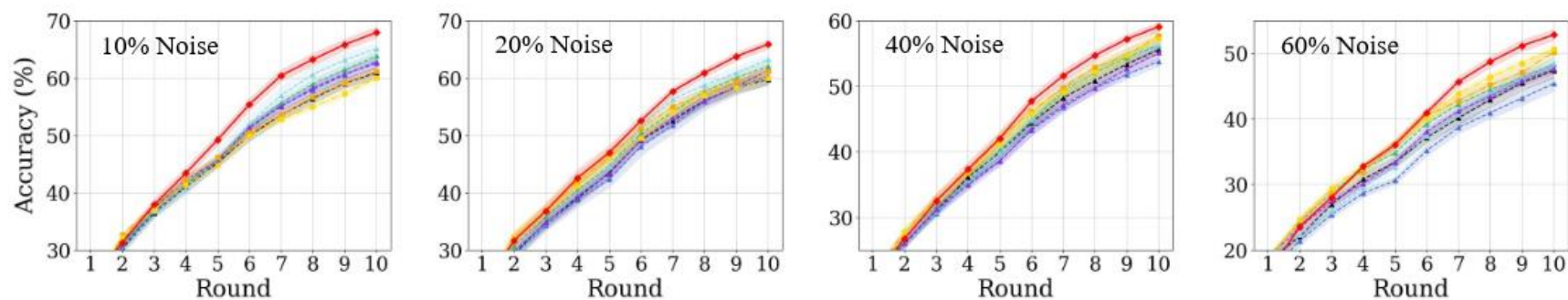


Figure 2: Overview of MQ-Net.

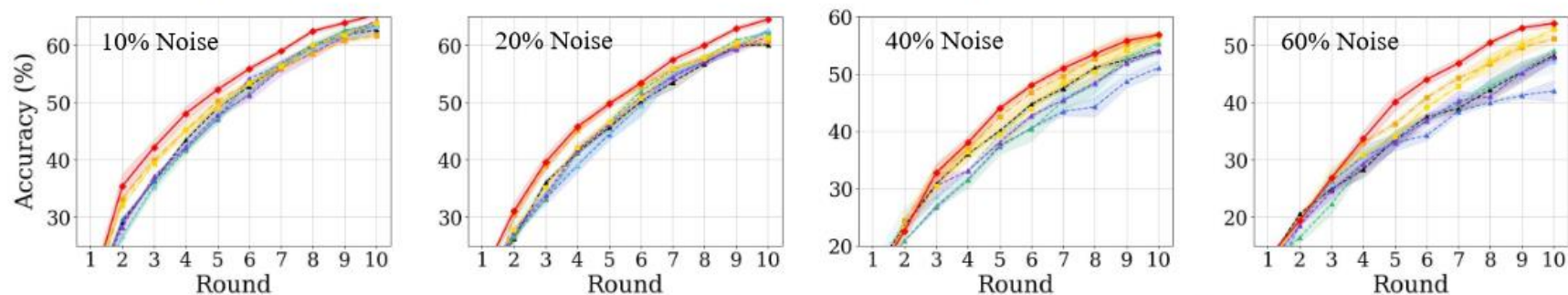
# Experiment



(a) Accuracy comparison over AL rounds on CIFAR10 with open-set noise of 10%, 20%, 40%, and 60%.



(b) Accuracy comparison over AL rounds on CIFAR100 with open-set noise of 10%, 20%, 40%, and 60%.



(c) Accuracy comparison over AL rounds on ImgeNet with open-set noise of 10%, 20%, 40%, and 60%.

Table 1: Last test accuracy (%) at the final round for CIFAR10, CIFAR100, and ImageNet. The best results are in bold, and the second best results are underlined.

Datasets		CIFAR10 (4:6 split)				CIFAR100 (40:60 split)				ImageNet (50:950 split)			
Noise Ratio		10%	20%	40%	60%	10%	20%	40%	60%	10%	20%	40%	60%
Non-AL	RANDOM	89.83	89.06	87.73	85.64	60.88	59.69	55.52	47.37	62.72	60.12	54.04	48.24
Standard AL	CONF	<u>92.83</u>	91.72	88.69	85.43	62.84	60.20	53.74	45.38	63.56	<u>62.56</u>	51.08	45.04
	CORESET	91.76	91.06	89.12	86.50	63.79	62.02	56.21	48.33	63.64	62.24	55.32	49.04
	LL	92.09	91.21	<u>89.41</u>	86.95	<u>65.08</u>	<u>64.04</u>	56.27	48.49	63.28	61.56	55.68	47.30
	BADGE	92.80	<u>91.73</u>	89.27	86.83	62.54	61.28	55.07	47.60	<u>64.84</u>	61.48	54.04	47.80
Open-set AL	CCAL	90.55	89.99	88.87	<u>87.49</u>	61.20	61.16	<u>56.70</u>	50.20	61.68	60.70	<u>56.60</u>	51.16
	SIMILAR	89.92	89.19	88.53	87.38	60.07	59.89	56.13	<u>50.61</u>	63.92	61.40	56.48	<u>52.84</u>
Proposed	<b>MQ-Net</b>	<b>93.10</b>	<b>92.10</b>	<b>91.48</b>	<b>89.51</b>	<b>66.44</b>	<b>64.79</b>	<b>58.96</b>	<b>52.82</b>	<b>65.36</b>	<b>63.08</b>	<b>56.95</b>	<b>54.11</b>
<i>% improve over 2nd best</i>		0.32	0.40	2.32	2.32	2.09	1.17	3.99	4.37	0.80	1.35	0.62	2.40
<i>% improve over the least</i>		3.53	3.26	3.33	4.78	10.6	8.18	9.71	16.39	5.97	3.92	11.49	20.14

Table 2: Effect of the meta inputs on MQ-Net.

Dataset		CIFAR10 (4:6 split)			
Noise Ratio		10%	20%	40%	60%
Standard AL	BADGE	92.80	91.73	89.27	86.83
Open-set AL	CCAL	90.55	89.99	88.87	87.49
MQ-Net	CONF-ReAct	93.21	91.89	89.54	87.99
	CONF-CSI	<b>93.28</b>	<b>92.40</b>	91.43	89.37
	LL-ReAct	92.34	91.85	90.08	88.41
	LL-CSI	93.10	92.10	<b>91.48</b>	<b>89.51</b>

Table 3: Efficacy of the self-validation set.

Dataset		CIFAR10 (4:6 split)			
Noise Ratio		10%	20%	40%	60%
MQ-Net	Query set	<b>93.10</b>	<b>92.10</b>	<b>91.48</b>	<b>89.51</b>
	Random	92.10	91.75	90.88	87.65

Table 4: Efficacy of the skyline constraint.

Noise Ratio		10%	20%	40%	60%
MQ-Net	w/ skyline	<b>93.10</b>	<b>92.10</b>	<b>91.48</b>	<b>89.51</b>
	w/o skyline	87.25	86.29	83.61	81.67

Table 5: Efficacy of the meta-objective in MQ-Net. We show the AL performance of two alternative balancing rules compared with MQ-Net for the split-dataset setup on CIFAR10 with the open-set noise ratios of 20% and 40%.

Dataset	Noise Ratio	Round	1	2	3	4	5	6	7	8	9	10
CIFAR10 (4:6 split)	20%	$\mathcal{P}(x) + \mathcal{I}(x)$	<b>61.93</b>	<b>73.82</b>	76.16	80.65	82.61	85.73	87.44	88.86	89.21	<b>89.49</b>
		$\mathcal{P}(x) \cdot \mathcal{I}(x)$	<b>61.93</b>	71.79	78.09	81.32	84.16	86.39	88.74	89.89	90.54	<b>91.20</b>
		MQ-Net	<b>61.93</b>	<b>73.82</b>	<b>80.58</b>	<b>84.72</b>	<b>87.31</b>	<b>89.20</b>	<b>90.52</b>	<b>91.46</b>	<b>91.93</b>	<b>92.10</b>
	40%	$\mathcal{P}(x) + \mathcal{I}(x)$	<b>59.31</b>	<b>72.50</b>	75.67	78.78	81.70	83.74	85.08	86.48	87.47	<b>88.86</b>
		$\mathcal{P}(x) \cdot \mathcal{I}(x)$	<b>59.31</b>	66.37	73.57	77.85	81.37	84.22	86.80	88.04	88.73	<b>89.11</b>
		MQ-Net	<b>59.31</b>	<b>72.50</b>	<b>79.54</b>	<b>82.94</b>	<b>85.77</b>	<b>88.16</b>	<b>89.34</b>	<b>90.07</b>	<b>90.92</b>	<b>91.48</b>



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# OpenMatch: Open-set Consistency Regularization for Semi-supervised Learning with Outliers

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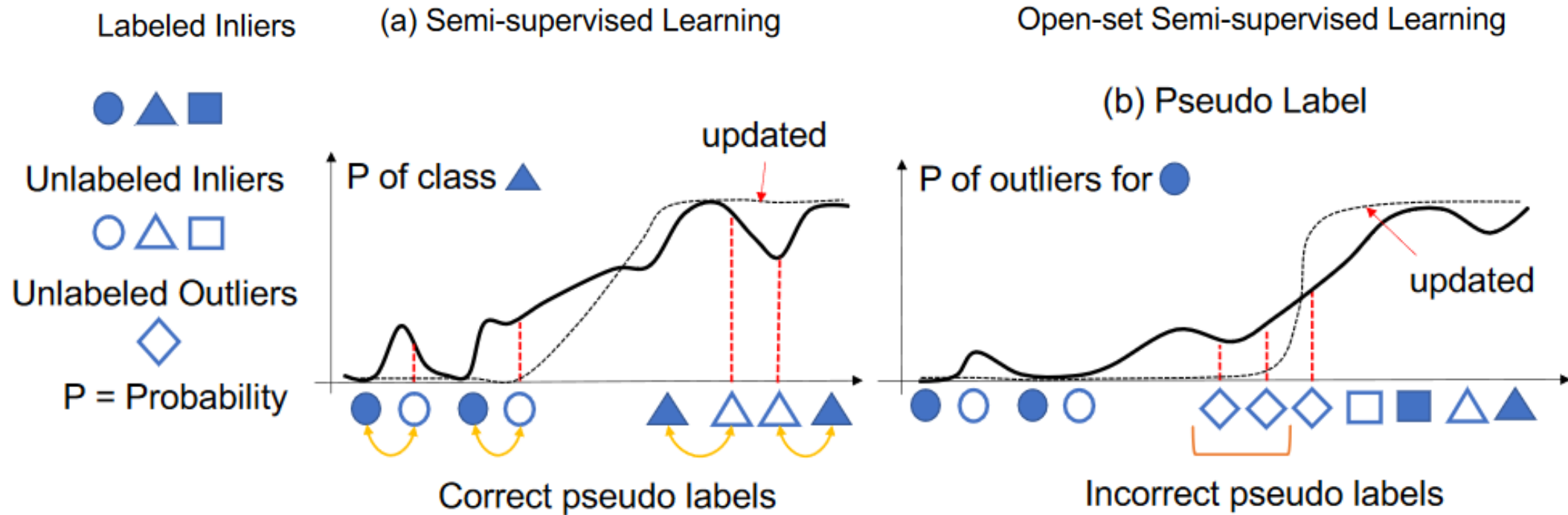
**Kuniaki Saito<sup>1</sup> Donghyun Kim<sup>1</sup> Kate Saenko<sup>1,2</sup>**

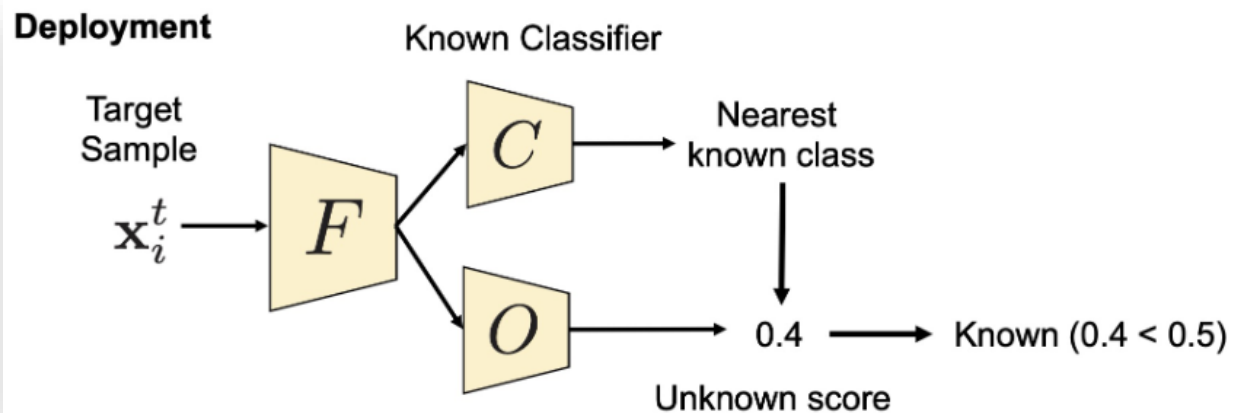
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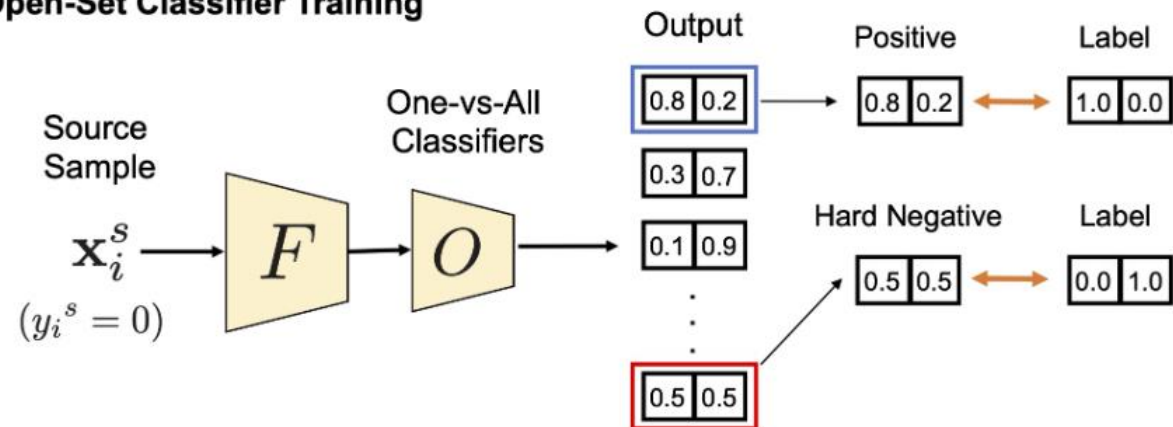
***NIPS 2021***

# Motivation

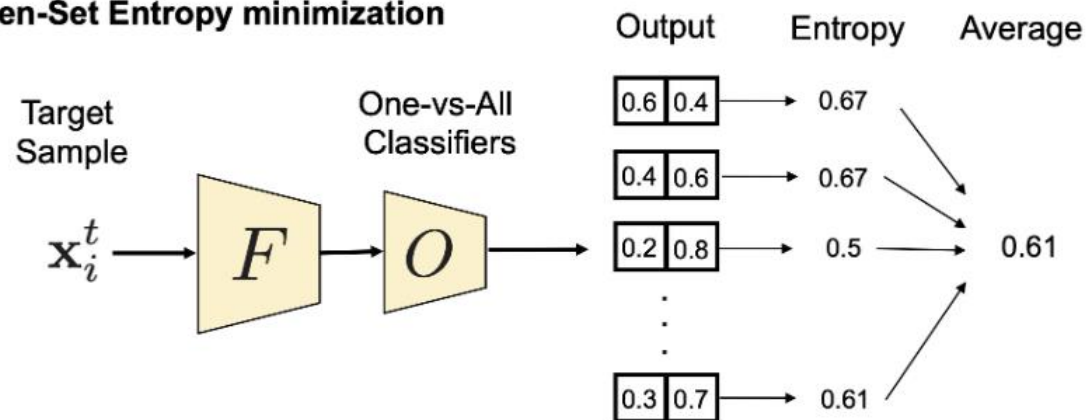




## Open-Set Classifier Training



## Open-Set Entropy minimization



Input sample

Not updated

Updated

----- Positive Class boundary ----- Nearest Negative Class boundary

**Figure 3: Overview of the open-set classifier training.**

$$\mathcal{L}_{ova}(\mathcal{X}) := \frac{1}{B} \sum_{b=1}^B -\log(p^{y_b}(t=0|x_b)) - \min_{i \neq y_b} \log(p^i(t=1|x_b))$$



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**Algorithm 1** OpenMatch Algorithm.

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1: **Input:** Set of labeled data  $\mathcal{S} = ((x_b, y_b); b \in (1, \dots, N))$ , set of unlabeled data  $\mathcal{S}_u = (u_b; b \in (1, \dots, N_u))$ , and set of pseudo-inlier data  $\mathcal{K} = \emptyset$ .

Data augmentation function  $\mathcal{T}$ . Model parameters  $w$ , learning rate  $\eta$ , epoch  $E_{fix}$  and  $E_{max}$ , iteration  $I_{max}$ , trade-off parameters,  $\lambda_{em}, \lambda_{oc}, \lambda_{fm}$ ;

**for**  $Epoch = 1$  to  $E_{max}$  **do**

**for**  $Iteration = 1$  to  $I_{max}$  **do**

        2: **Sample** a batch of labeled data  $\mathcal{X} \in \mathcal{S}$  and unlabeled data  $\mathcal{U} \in \mathcal{S}_u$ ;

        3: **Compute**  $\mathcal{L}_{all} = \mathcal{L}_{sup}(\mathcal{X}) + \lambda_{em}\mathcal{L}_{em}(\mathcal{U}) + \lambda_{oc}\mathcal{L}_{oc}(\mathcal{U}, \mathcal{T})$ ; // Eq.1, 2 and 3

**if**  $Epoch > E_{fix}$  **then**

            4: **Sample** a batch of pseudo-inliers  $\mathcal{I} \in \mathcal{K}$ ; // Sample pseudo-inliers.

            5: **Compute**  $\mathcal{L}_{all} += \lambda_{fm}\mathcal{L}_{fm}(\mathcal{I})$ ; // FixMatch for pseudo-inliers.

**end**

        6: **Update**  $w = w - \eta\nabla_w L_{all}$ ; // Update weights

**end**

**if**  $Epoch \geq E_{fix}$  **then**

        7: **Update**  $\mathcal{K} = \text{Select}(w, \mathcal{D}_u)$ ; // Detect outliers and select pseudo-inliers.

**end**

**end**

8: **Output:** Model parameters  $w$ .

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Dataset	CIFAR10			CIFAR100		CIFAR100		ImageNet-30
No. of Known / Unknown	6 / 4			55 / 45		80 / 20		20 / 10
No. of labeled samples	50	100	400	50	100	50	100	10 %
Labeled Only	35.7±1.1	30.5±0.7	20.0±0.3	37.0±0.8	27.3±0.5	43.6±0.5	34.7±0.4	20.9±1.0
FixMatch [35]	43.2±1.2	29.8±0.6	16.3±0.5	35.4±0.7	27.3±0.8	41.2±0.7	34.1±0.4	12.9±0.4
MTC [44]	20.3±0.9	13.7±0.9	9.0±0.5	33.5±1.2	27.9±0.5	40.1±0.8	33.6±0.3	13.6±0.7
OpenMatch	<b>10.4±0.9</b>	<b>7.1±0.5</b>	<b>5.9±0.5</b>	<b>27.7±0.4</b>	<b>24.1±0.6</b>	<b>33.4±0.2</b>	<b>29.5±0.3</b>	<b>10.4±1.0</b>

Table 1: **Error rates (%)** with standard deviation for CIFAR10, CIFAR100 on 3 different folds. Lower is better. For ImageNet, we use the same fold and report averaged results of three runs. Note that the number of labeled samples *per class* is shown in each column.

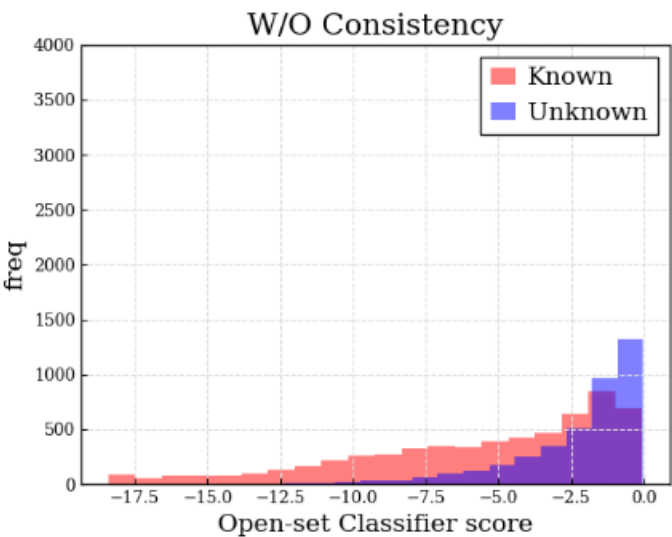
Dataset	CIFAR10			CIFAR100		CIFAR100		ImageNet-30
No. of Known / Unknown	6 / 4			55 / 45		80 / 20		20 / 10
No. of labeled samples	50	100	400	50	100	50	100	10 %
Labeled Only	63.9±0.5	64.7±0.5	76.8±0.4	76.6±0.9	79.9±0.9	70.3±0.5	73.9±0.9	80.3±1.0
FixMatch [35]	56.1±0.6	60.4±0.4	71.8±0.4	72.0±1.3	75.8±1.2	64.3±1.0	66.1±0.5	88.6±0.5
MTC [44]	96.6±0.6	98.2±0.3	98.9±0.1	81.2±3.4	80.7±4.6	79.4±2.5	73.2±3.5	93.8±0.8
OpenMatch	<b>99.3±0.3</b>	<b>99.7±0.2</b>	<b>99.3±0.2</b>	<b>87.0±1.1</b>	<b>86.5±2.1</b>	<b>86.2±0.6</b>	<b>86.8±1.4</b>	<b>96.4±0.7</b>

Table 2: **AUROC of Table 1.** Higher is better. Note that the number of labeled samples *per class* is shown in each column.

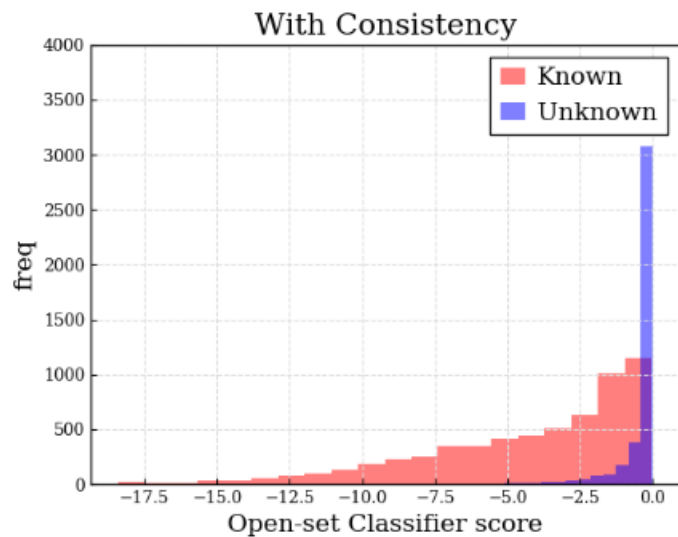
Dataset	CIFAR10		CIFAR100		ImageNet-30
No. Known / Unknown	6 / 4		80 / 20		20 / 10
No. Labeled samples	50	400	50	100	10 %
without SOCR	60.5±2.8	75.8±0.8	70.4±0.1	73.2±0.2	81.3±0.4
with SOCR	<b>81.3±2.9</b>	<b>96.8±0.6</b>	<b>78.9±0.1</b>	<b>85.0±0.8</b>	<b>89.3±0.3</b>

Table 3: Ablation study of our soft consistency regularization (SOCR,  $\mathcal{L}_{oc}$ ). We report AUROC scores (%). In this study, we do not apply FixMatch to pseudo-inliers to see the pure gain from SOCR.

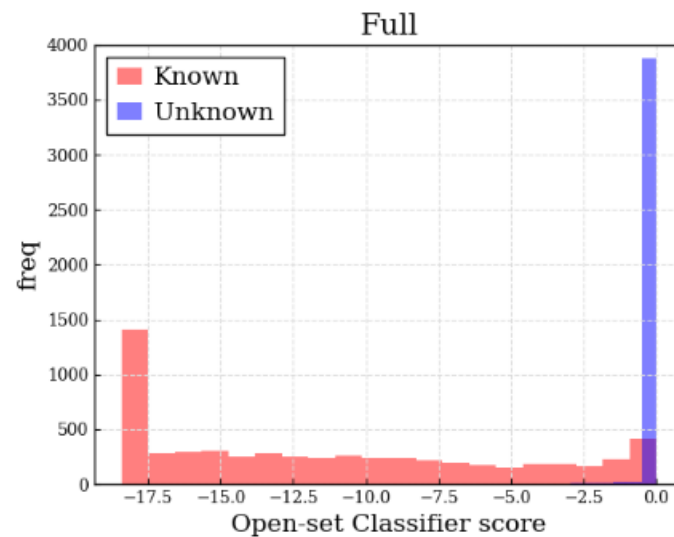
$$\mathcal{L}_{oc}(\mathcal{U}, \mathcal{T}) := \frac{1}{\mu B} \sum_{b=1}^{\mu B} \sum_{j=1}^K \sum_{t \in (0,1)} |p^j(t|\mathcal{T}_1(u_b)) - p^j(t|\mathcal{T}_2(u_b))|^2$$



(a) w/o FixMatch, SOCR.



(b) w/o FixMatch



(c) FULL (OpenMatch)

Figure 3: The histograms of the outlier detector's scores obtained with ablated models. Red: Inliers, Blue: Outliers. From left to right, a model without FixMatch and SOCR, a model without FixMatch, and a model with all objectives. These results show that SOCR ensures separation between inliers and outliers, and FixMatch added to SOCR can further enhance this separation.

**THANKS**